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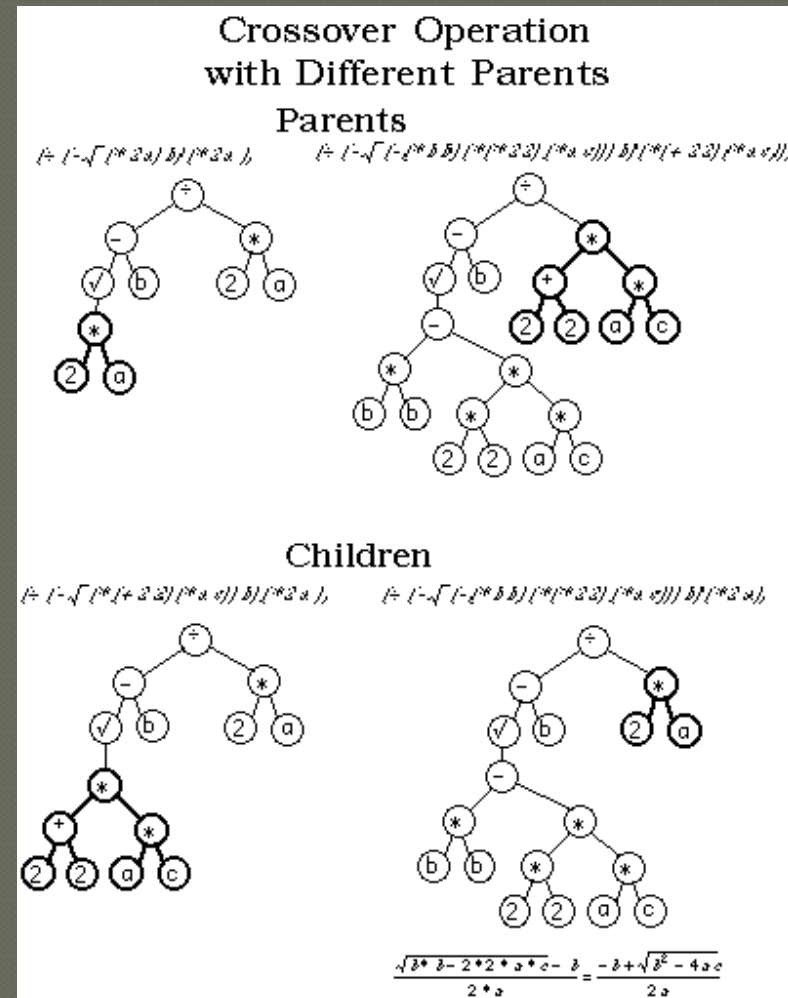
Genetic programming

Cedric Gondro

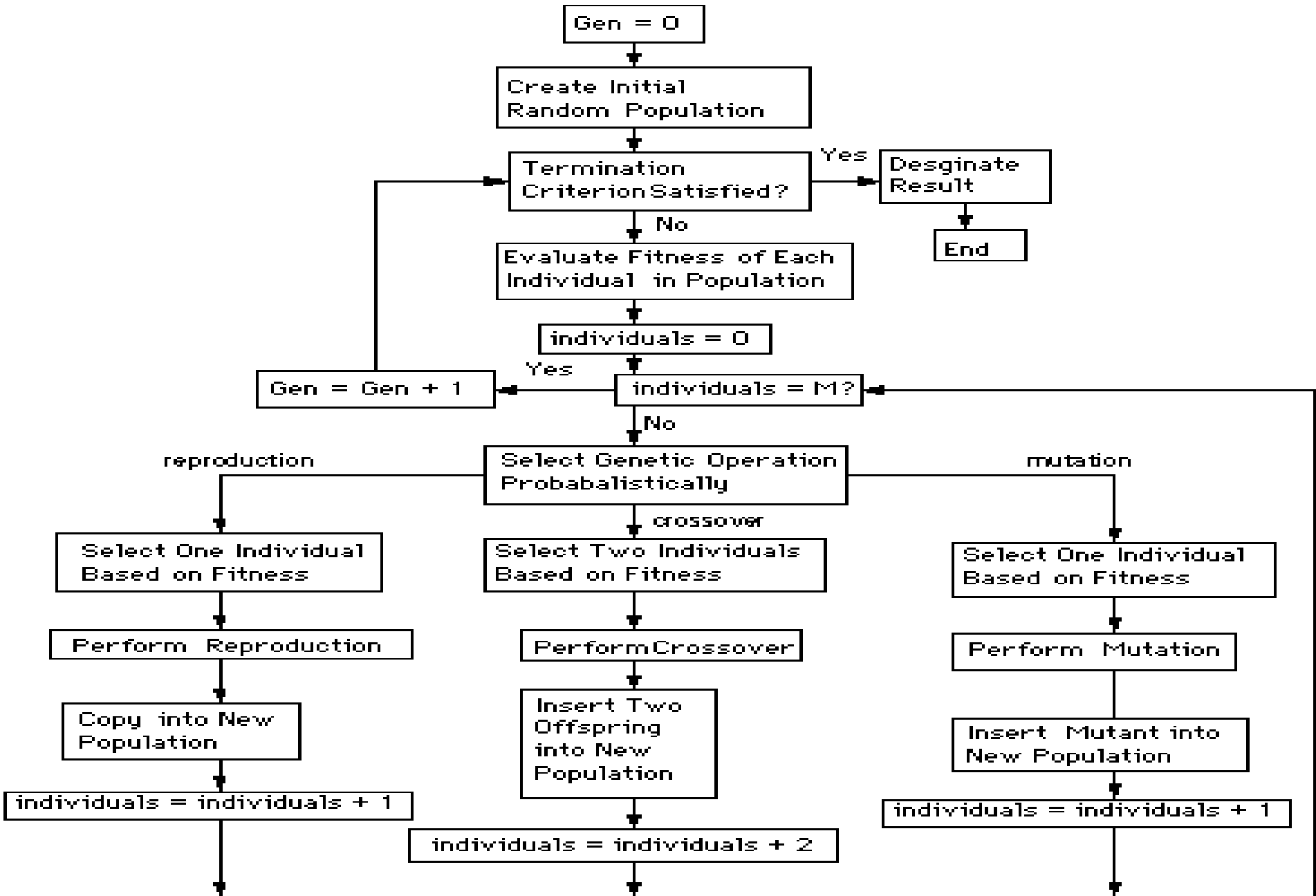
The Centre for Genetic Analysis and Applications
University of New England

Genetic Programming

- Evolve structure as executable computer programs
- Originally parse tree structures
- LISP
- Many variants:
 - Tree GP (list)
 - Linear GP (stack)
 - Page based GP (--)
 - Gene Expression Programming (Array)
 - Multi Expression Programming (Array)
- Adds structure search to the parameter optimization



Flowchart for Genetic Programming



Genetic Operators

Operators that yield the best results in the different GPs:

- Mutation:
 - Single point
 - Deletion
 - Insertion
- Crossover:
 - 1 point crossover
 - 2 point crossover
 - Transposition
- Selection:
 - Tournament 2
- Steady State

Gene Expression Programming

- **GP methods tend to yield similar results, main differences are in convergence time, processing speed and ease of implementation.**
- Well suited for languages that do not support symbolic expressions.
- All organisms yield valid syntaxes.
- Since all solutions are valid there is a better coverage of the solution space.
- No or little repair overhead
- Simple GA search operators can be used

Gene Expression Programming

Organism = Head + Tail

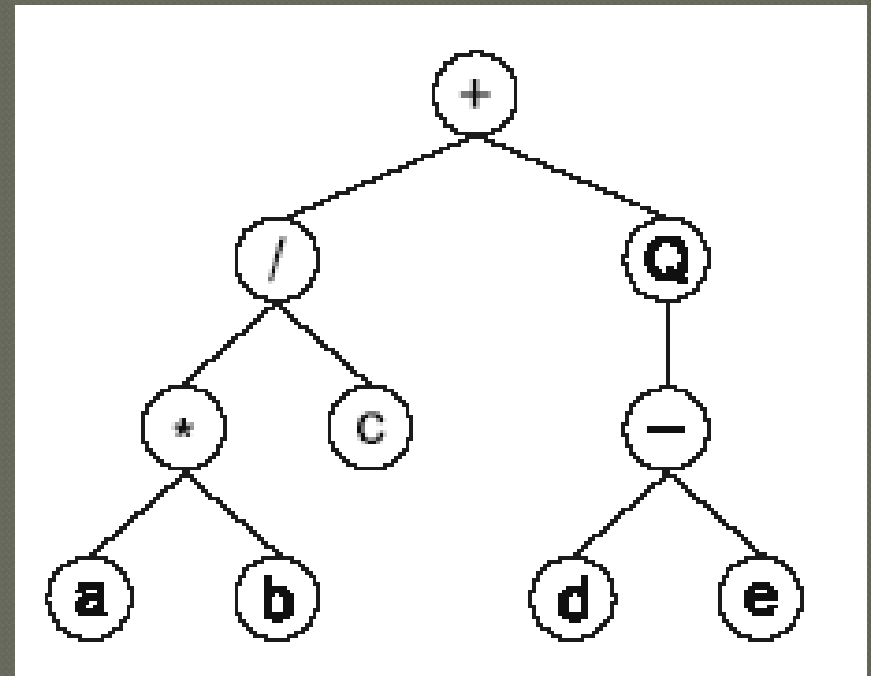
Head -> terminals and functions

Tail -> terminals only

Tail = head*(n-1)+1

$$\frac{a \cdot b}{c} + \sqrt{d - e}$$

0123456789
+ / Q * c - a b d e



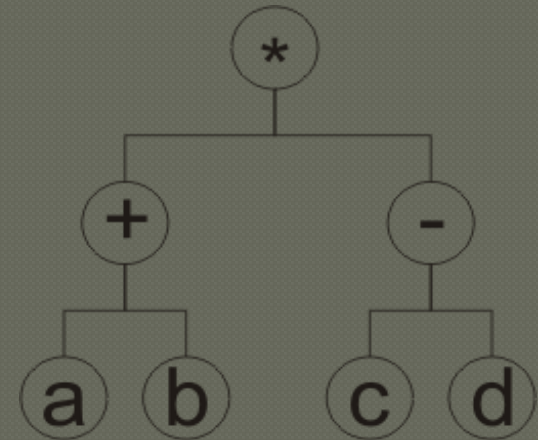
*Build recursively from the array
from the number of instructions in ORF.

An example

$$y = (a + b) * (c - d)$$

terminal set $T = \{a, b, c, d\}$

function set $F = \{+, *, -\}$



0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20

* + - a b c d * - - a a b c c d d d b b a

GEP gene of size 21 with head (h) of size 10 and tail (t) of size 11
 $t = h(n-1)+1$. The highest arity of the function set is 2, thus $n = 2$
ORF = 7

Search operators - mutation

In the tail replace only with terminals

A single change can yield big differences!

- Single point mutation
- block mutation
 - Up to 20% of gene size
 - 10% of point mutation probability

Gene

A 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
* + - a b c d * - - a a b c c d d d b b a

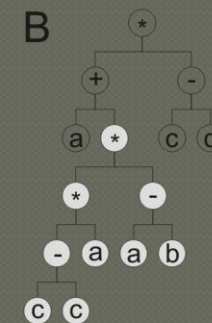
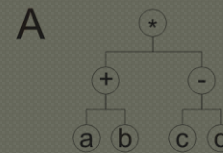
B 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
* + - a * c d * - - a a b c c d d d b b a

ORF

A 0 1 2 3 4 5 6
* + - a b c d

B 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14
* + - a * c d * - - a a b c c

Expression Tree (ET)



Equation

A $A = (a+b)*(c-d)$

B $B = (a+((c-c)*a)*(a-b))*(c-d)$

Search operators - crossover

- One-point crossover

- cuts both parents at the same position and the remainder of the gene downstream from the cut point is swapped to form the offspring

- Two-point crossover

- selects a block of the same size, starting at the same position in both parents and this block is swapped in the offspring

- Three-point crossover

- is a simple extension of two-point crossover where instead of one block being swapped, two blocks are swapped

Gene Expression Programming Notes

- Fixed sized arrays are faster than jagged arrays.
- Organism size is best defined as 5x the expected expression size.
- Population size of 1000/10000 seem to yield the best ratio convergence/speed.
- Use 1 deme for each expression – improves performance and convergence, instead of different chromosomes for each expression.

Handling breakdowns and constraints

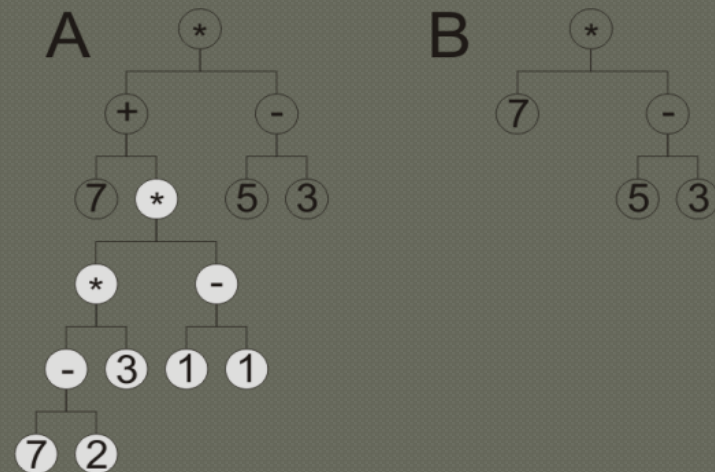
- ◉ Division by zero
- ◉ Negative square roots
- ◉ Time delays

- ◉ Prune
- ◉ Penalize
- ◉ Repair

- ◉ Constraints
 - cheap and easy solution: average value of the parameter range

Bloat

- Mainly due to convergence/stagnation
- Growth without changes to the fitness value
- Limit maximum size and tree depth
- Weighted fitness function
- Code editing and tree pruning



Parameter x Model Discovery

$$y = a * \text{pow}(x, 3) + b * \text{pow}(x, 2) + c * x$$

- DE, GA, ES, EP – ideal for finding parameters of a model
 - a, b, c and x
- Genetic Programming – ideal for structure discovery (less ideal for parameters)
 - Parameters: a, b, c and x
 - Terminals: *, pow, +
 - Function: $y = a * \text{pow}(x, 3) + b * \text{pow}(x, 2) + c * x$

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