Application of evolutionary algorithms to solve complex problems in quantitative genetics and bioinformatics

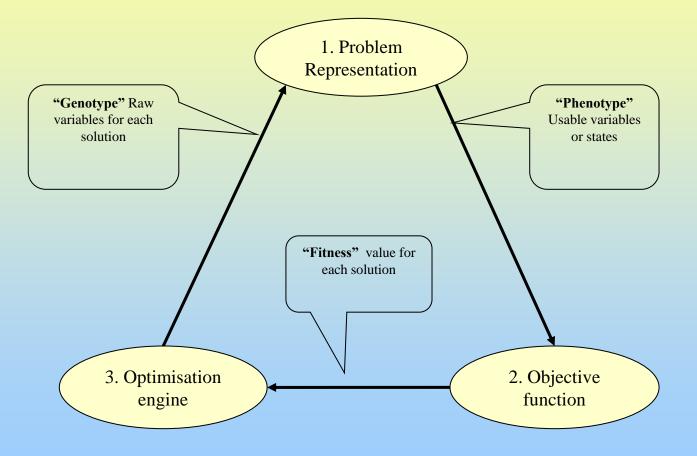
#### 6. Problem Representation

## Making complexity out of simplicity.

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# **Problem Representation**



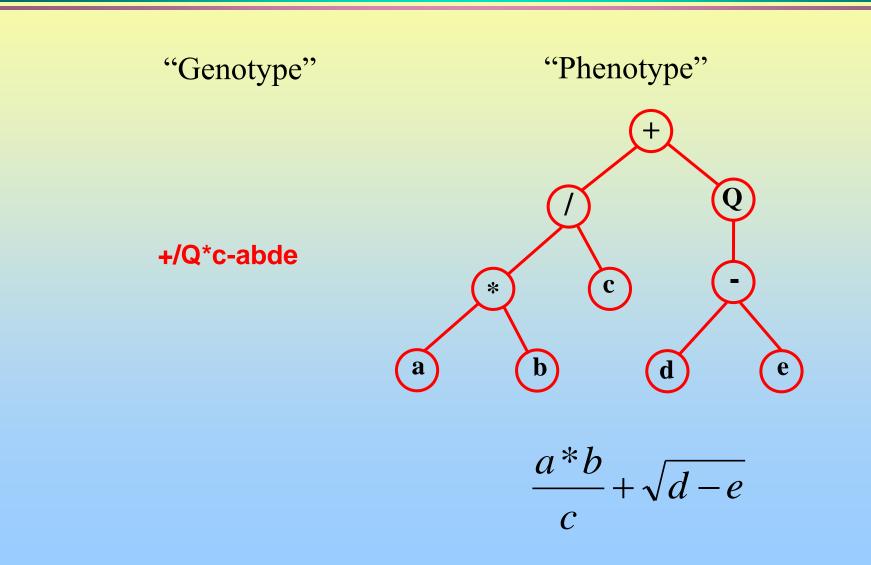
# Example 1: No problem representation filter needed

- In simple cases, a simple vector of real or integer parameter values can be used directly in the objective function.
- Eg. our first optimization example:

Find  $\{x_1, x_2\}$  that maximizes  $y = -(30 - x_1)^2 - (4 - x_2)^2$ 

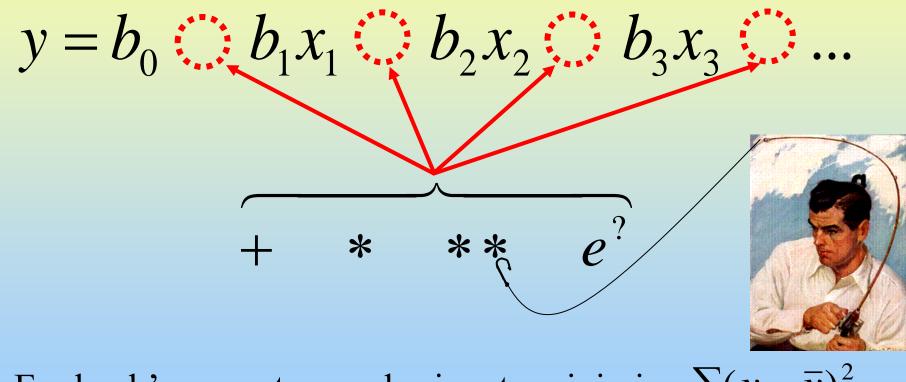
 $\{x_1, x_2\}$  is a simple vector of real numbers.

# Example 2: Gene expression programming



Information systems

# Evolve - a - model ...



Evolve b's, operators and priors to minimise  $\sum (y - \overline{y})^2$ 

... fishing ??

# Example 3: A Mate Selection driver

• First, Selection alone ...

# Vector x: Number of matings (Selection only)

Source of animals	Animal#	x = Matings
Male candidates	1 2 3 4 5 6 7 8	$ \begin{array}{c} 0\\21\\33\\0\\175\\0\\0\\0\end{array} \end{array} \sum = \text{Target}\\number of\\matings\end{array} $
Female candidates	 101 102 103 104 105 106 107 108	$\sum_{\substack{0\\1\\1\\1\\0\\0\\0\\8\\}} \sum_{} = Target$ number of matings

# A mate selection 'driver'

			Female $\rightarrow$	1	2	3	4
Male↓	No of uses	Ranking criterion	Rank	1	0	1	1
1	2	5.32 2.16	2 3			~	~
2	0	-	-				
3	1	7.64	1	$\checkmark$			

# Parameters for mate selection

Male candidates	1 2 3 4 	2 0 1 0 
Female candidates	101 102 103 104 	1 0 1 1 
Ranking criterion	1 <sup>st</sup> male mating 2 <sup>nd</sup> male mating 3 <sup>rd</sup> male mating 	5.32 2.16 7.64 

# Parameters to be optimised

# Example 4: Choosing p animals out of a group of size n

• A vector of values 0 and 1 for unselected and selected??

Animal	1	2	3	4	5	6	7	8	9	10
Selected:	0	1	0	0	1	0	1	0	1	0

- Two drawbacks here:
- We need to constrain to p animals chosen.
- The response surface is not a good shape for efficient climbing, as there are no intermediate values.

# Example 4: Choosing p animals out of a group of size n

• Rank on an ' arbitrary number that is evolved

Animal	1	2	3	4	5	6	7	8	9	10
Real number	6.91	7.43	3.23	1.88	8.97	3.76	6.92	4.46	8.44	2.12

• Ranking gives:

Animal	5	9	2	7	1	8	6	3	10	4
Real number	8.97	8.44	7.43	6.92	6.91 ↑	4.46	3.76	3.23	2.12	1.88

- No constraint worries
- We can also evolve p.

Animal 1 just misses out: If animal 1 is in the best solution, then this solution will benefit (through progeny) from its high number for ranking on.

• [Note that this could be a good or a bad solution – that is for the objective function to decide. All we are dealing with here is a system to produce "legal" solutions.]

## • This follows on simply:

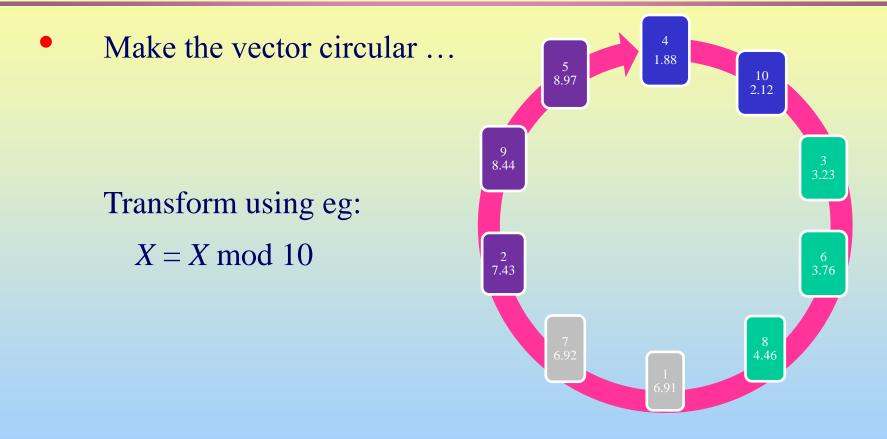
Animal	5	9	2	7	1	8	6	3	10	4
Real number	8.97	8.44	7.43	6.92	6.91	4.46	3.76	3.23	2.12	1.88
Group	1	1	1	2	2	3	3	3	4	4

- "Genotype": {6.91, 7.43, 3.23, 1.88, 8.97, 3.76, 6.92, 4.46, 8.44, 2.12}
- "Phenotype": (5,9,2), (7,1), (8,6,3), (10,4)
- What if this is best solution except that "5" and "4" should be swapped? A *big valley* to go through.

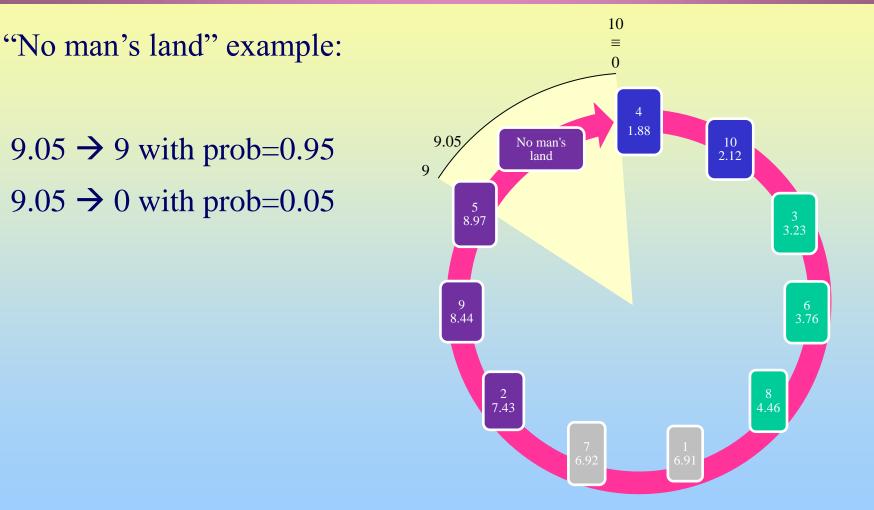
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- Make smaller valleys: Order groups on an index related to objective function.
  - Eg. If groups are farms, order on pasture quality, milk yield, mean EBV, or some index of such things.

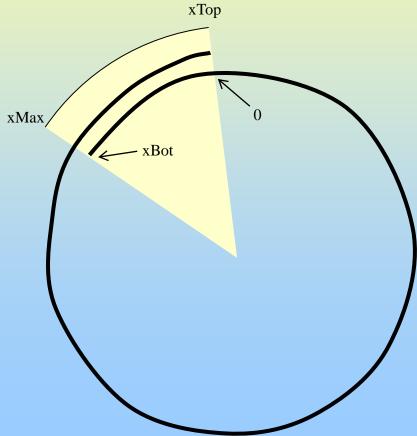


• Now animals 4 and 5 can swap quite easily.



xMax = 10000000 ! Enough to make integer weightings effectively continuous xTop = 105000000 ! Gap to jump to go back to beginning xBot = -5000000 ! Gap to jump to go back to beginning ... if (trial(j) > xTop ) trial(j) = trial(j) - xTop if (trial(j) > xMax ) trial(j) = xMax if (trial(j) < xBot ) trial(j) = trial(j) + xTop</pre>





```
! Enough to make integer weightings effectively continuous
xMax = 100000000
xTop = 10500000
                 ! Gap to jump to go back to beginning
xBot = -5000000
                 ! Gap to jump to go back to beginning
. . .
                                                                                xTop
if (trial(j) > xTop ) trial(j) = trial(j) - xTop
if (trial(j) > xMax) then
  If((trial(j)-xMax)/(xTop-xMax) > Rnd) then
    trial(j) = 0
                                                           xMax
  else
    trial(j) = xMax
                                                                         – xBot
  endif
endif
if (trial(j) < xBot ) trial(j) = trial(j) + xTop</pre>
if (trial(j) < 0) then
  If(trial(j)/xBot > Rnd) then
    trial(j) = xMax
  else
   trial(j) = 0
  endif
endif
. . .
```

